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## **IOL Power Calculation in Eyes with Previous Refractive Surgery**

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## IOL Power Calculation in Eyes with Previous Refractive Surgery

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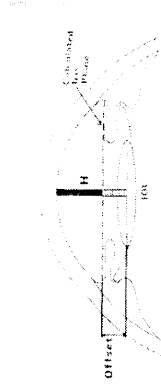
## IOL power calculations in post-refractive surgery eyes

Inaccurate K estimation if standardized keratometric index of 1.3375 is used

Keratometers measure only 4 points on the cornea at a paracentral region, ignoring flatter (or steeper), more central regions resulting from myopic (or hyperopic) photoablation

IOL position (effective lens position, ELP) estimation using Kpost is inaccurate

Effective lens position and corneal height



## Double-K clinical history method (2003, Aramberri)

Kpost (obtained by clinical history) for vergence formula

Kpre for ELP (effective lens position) estimation

While being an effective method, however, needing Kpre, refractive data both before and after refractive surgery; and the post-refractive surgery refraction must be the one before cataract development

## Bypass method

the IOL power as determined by a standard calculation technique with the Kpre

the amount of prerefractive surgery myopia be set as the target for refraction

needing Kpre, refractive data both before and after refractive surgery; and the post-refractive surgery refraction must be the one before cataract development)

### IOL power vergence formula

$$\text{IOL power} = \frac{n_a}{AxL - ELP} - \frac{n_a}{\frac{n_a - ELP}{K}}$$

Kpre for ELP calculation  
Kpost for K

Two main problems faced in post-refractive surgery eyes when history is unavailable

Determine post-refractive surgery corneal power (Kpost) by direct measurement

Effective lens position (ELP: IOL position) estimation without using Kpost

### Determine post-refractive surgery corneal power (Kpost) by direct measurement

Determine post-refractive surgery corneal power by direct measurement

Most of the time, only the anterior corneal curvature (power) can be measured (exception: Orbscan, Pentacam)

Which keratometric index should be used?

Study	Keratometric index
Dubbelman et al.	1.329 ± 0.0001
Dunne et al.	1.3283
Fam and Lin	1.3273 ± 0.0013
Ho et al.	1.3281 ± 0.0018
conventional	1.3375
Gullstrand schematic eye	1.3315
Shammas	1.3375
Holladay 1	4/3
SRK/T	1.333
Haigis	1.3315

Determine post-refractive surgery corneal power by direct measurement

The keratometric indices (and thus the corneal refractive powers) used by most of the IOL power calculation formulae currently in use are not the actual ones.

In the currently used theoretical IOL power calculation formulas, the keratometric index used ranged from 1.3315 to 1.3375.

This range of keratometric index values does not calculate the true corneal power.

However, these IOL power calculation formulas have been optimized to account for the priori error in keratometric index (and the total corneal power) by calculating against actual post-cataract surgery refractive outcome

e.g., optimizing the A constant (SRK/T) and surgeon factor (Holladay 1)

Determine post-refractive surgery corneal power by direct measurement

Savini method:  $K_{post}$  = (the simulated  $K$  value obtained by corneal topography  $\times$  376/337.5) [ $\approx 1.114$ ] - 4.98

modified Maloney method:  $K_{post} = 1.114 \times$  (central power on axial topography map) - 6.1

[inaccurate on Placido-based topography]

Determine post-refractive surgery corneal power by direct measurement

Shammas clinically-derived method  $K_{post} = 1.14 \times$  (Sim-K on topography or K on autorefractor) - 6.8  
(used in Shammas-PL formula)

BESSt formula : based on the Pentacam measurement and Gaussian optics formula

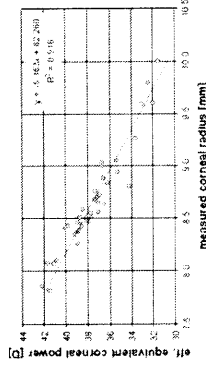
Gaussian optics formula in determining corneal power

$$P_{\text{actual}} = \frac{n_c - 1}{r_{\text{ant}}} + \frac{n_c - n_c}{r_{\text{post}}} - \frac{d}{r_c} \times \left( \frac{n_a - n_c}{r_{\text{ant}}} \right) \times \left( \frac{n_a - n_c}{r_{\text{post}}} \right)$$

### BESSt formula (2006, Borasio)

$$P_{\text{actual}} = \frac{n_c - 1}{r_{\text{ant}}} + \frac{n_c - n_c}{r_{\text{post}}} - \frac{d}{r_c} \times \left( \frac{n_a - n_c}{r_{\text{ant}}} \right) \times \left( \frac{n_a - n_c}{r_{\text{post}}} \right)$$

$$r_{\text{curv}} = -5.1625 \times r_{\text{meas}} + 82.2603 - 0.35$$





**Haigis formula (not using corneal curvature in estimating ELP)**

$$D_c = \frac{n}{L-d} - \frac{n}{n-d} \quad \text{with } z = D_c + \frac{R_c}{1-R_c} d_c \quad \text{and}$$

$$D_c = \frac{R_c - 1}{R}$$

The optical ACD  $d$  is given by

$$d = a_0 + a_1 AC + a_2 L \text{ for } AC \neq 0$$

**ELP estimation by SRK/T**

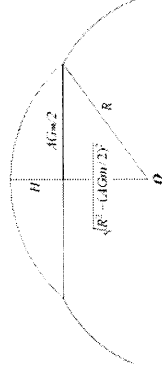
$$ELP = H + AC D_{const} - 3.336$$

$$H = R - \sqrt{R^2 - (CW/2)^2} \quad (\text{Fyodorov equation})$$

**Corneal height (Fyodorov equation)**

$$H = R - \sqrt{R^2 - (AG/2)^2}$$

$AG$  : anterior chamber diameter



**Get Hm and AGm by Pentacam (rotating Scheimpflug camera)**

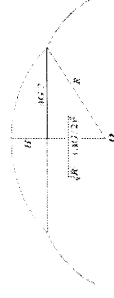
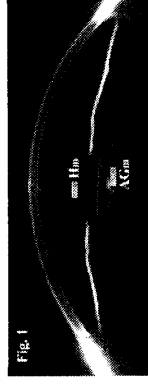


Fig. 1



**Ht (theoretical) vs. Hm (measured)**

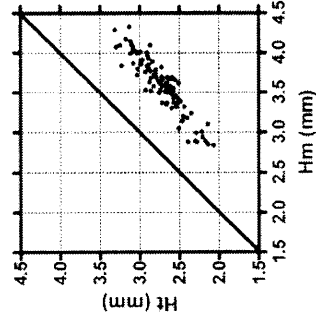
$$Ht = R_m - \sqrt{R_m^2 - (AG_m/2)^2}$$

$H_m$  (corneal height measured by Pentacam)

If  $Ht \approx H_m$ , then ELP can be obtained easily by

$$ELP = Ht + AC D_{const} - 3.336$$

$$ELP \approx Hm + AC D_{const} - 3.336$$



$$r = 0.904 \quad (p < 0.0001)$$

### Ht (theoretical) vs. Hm (measured)

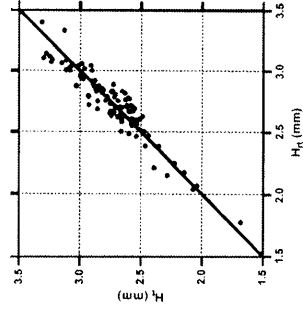
To correlate Ht with Hm, a linear regression function  $f$  was developed, the value of which is Hrt (to approximate Ht); Hm, AGm, and AL can be obtained by measurement

$$H_t \cong H_{rt} = f(H_m, \Delta C_m, \Delta L)$$

### Regression function (Hrt) which is aimed to approximate Ht

The regression function obtained from 106 unoperated eyes by stepwise linear regression was

$$H_{rt} = 0.4979H_m + 0.2425\Delta C_m - 0.0141\Delta L \\ - 1.5672 \quad (r = 0.941)$$



### Rrt (R derived by regression) to approximate Rm (Rpre)

$$H_m \cong R_m = \sqrt{R_{rt}^2 + (\Delta C_m/2)^2}$$

$$\min(R_{rt}^2 + (\Delta C_m/2)^2) = R_{rt}^2 + H_{rt}^2$$

By squaring both sides,

$$R_m^2 - \Delta C_m^2/4 = R_{rt}^2 - 2R_{rt}H_{rt} + H_{rt}^2$$

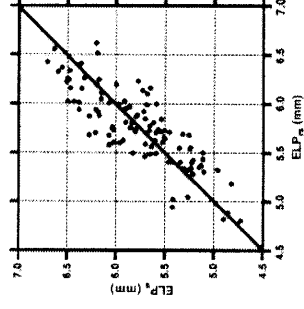
$$2R_{rt}H_{rt} = H_{rt}^2 + \Delta C_m^2/4$$

$$\therefore R_{rt} = \frac{4H_{rt}^2 + \Delta C_m^2}{8H_{rt}}$$

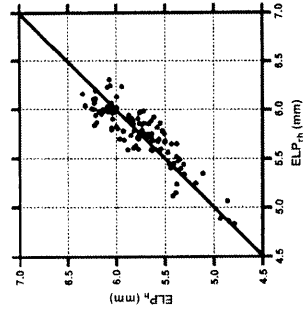
### Using Rrt (which is aimed to approximate Rm or Rpre) to develop ELP in SRK/T

$$H_{rs} \cong R_{rt} = \sqrt{R_m^2 - (C_w/2)^2}$$

$$ELP_{rs} \cong H_{rs} + \Delta C_{const} = 3.336$$



Mean estimation error =  $-0.011 \pm 0.263$  mm



Mean estimation error =  $-0.004 \pm 0.167$  mm

- Obtain Kpost from other well-established methods (the Savini method and the BESSt formula) for 11 post-refractive surgery eyes which require cataract surgery
- Calculate the IOL power in a double-K manner in these 11 post-refractive surgery eyes even when historical data are unavailable

The Savini's method

Kpost = measured K  $\times$  376/337.5 - 4.98

The BESSt formula

Kpost is calculated based on the Pentacam measurement and Gaussian optics formula.

## Results

Application on post-refractive eyes undergoing cataract surgery

11 eyes of 8 patients  
 our ELP estimation method, combined with the BESSt formula or the Savini's method for estimating Kpost in the Double-K SRK/T formula [ELP + BESSt + Double-K SRK/T], or (ELP + Savini's + Double-K SRK/T)] provided the best IOL prediction results

Arithmetic and absolute IOL prediction error in 11 post-refractive surgery eyes

Table 3. Mean, SD, SE, CI, and 95% prediction errors using different methods for predicting data from 11 post-refractive surgery eyes (postulated Kpost = predicted IOL power)

Method	DK (DPT)	DK (DPT) + BESSt	SK (Sava)	SK (Sava) + SK (Sava)	SK (Sava) + SK (Sava) + SK (Sava)	DK (Sava)	DK (Sava) + SK (Sava)	DK (Sava) + SK (Sava) + SK (Sava)
Mean $\pm$ SD	1.18 $\pm$ 0.73	1.02 $\pm$ 0.72	-1.26 $\pm$ 5.50	-8.16 $\pm$ 6.80	2.46 $\pm$ 0.96	2.59 $\pm$ 2.22	1.13 $\pm$ 1.37	1.38 $\pm$ 1.09
Range	0.16 to 2.66	0.12 to 2.56	-8.04 to 1.97	-18.47 to -0.89	1.50 to 6.42	1.19 to 4.15	0.77 to 4.65	1.17 to 4.58
Mean $\pm$ SE	1.18 $\pm$ 0.79	1.02 $\pm$ 0.87	2.36 $\pm$ 2.84	6.16 $\pm$ 6.10	2.46 $\pm$ 0.96	2.59 $\pm$ 1.02	1.13 $\pm$ 1.19	1.39 $\pm$ 1.52
Range	0.16 to 2.66	0.12 to 2.56	0.00 to 8.94	0.49 to 19.47	1.50 to 6.42	1.19 to 4.15	0.50 to 4.69	0.69 to 4.58
SE (DPT)	Mean $\pm$ SD	0.83 $\pm$ 0.73	0.05 $\pm$ 0.82	-1.26 $\pm$ 5.55	-5.08 $\pm$ 6.22	2.34 $\pm$ 1.04	2.25 $\pm$ 1.10	0.10 $\pm$ 1.49
Range	1.86 to 1.79	0.05 to 0.88	8.35 to 2.09	18.51 to -0.39	1.17 to 6.37	0.75 to 4.39	2.26 to 2.49	...
SE (Sava)	Mean $\pm$ SD	1.18 $\pm$ 0.79	0.89 $\pm$ 0.84	2.46 $\pm$ 2.84	5.81 $\pm$ 6.22	2.59 $\pm$ 1.04	2.25 $\pm$ 1.10	1.13 $\pm$ 0.91
Range	0.16 to 1.19	0.57 to 1.08	0.15 to 8.33	0.20 to 19.51	1.17 to 6.37	0.75 to 4.39	0.20 to 2.69	...



### Eyes within certain refractive prediction error in 11 post-refractive surgery eyes

Method	Number of Eyes						
	DK CHM + SRK-T	SK, Rosa + SRK-T	SK, Ferraro + SRK-T	SK, Ferraro + SRK-T	SK, Ferraro + SRK-T	SK, Ferraro + SRK-T	SK, Ferraro + SRK-T
Within ±0.5 D	2	2	4	1	6	3	3
Within ±1.0 D	12	11	9	3	6	8	6
SRK/T	0	17	4	1	6	1	0
Within ±0.5 D	11	14	9	4	7	12	9
Within ±1.0 D	11	14	9	4	7	12	9

DK = double-K method; SK CHM = double-K, clinical history method; SRK-T = standard keratometry method; SK = single-K method.

### Discussion

The improvement in IOL power prediction accuracy made by the double-K method indicates that Kpre is more valuable than Kpost for estimating the ELP

This is the reason why we managed to obtain an estimate of Kpre (Krt) from the independent variables Hm, AGm, AL, which were not changed by refractive surgery and can be obtained by measurement on a post-refractive surgery eye

### Discussion

Any method which estimates ELP and IOL power from only Kpost and axial length is susceptible to unacceptable error.

e.g.

Kpost = 36 D, AL = 26 mm can be from ablation of 4 D on an eye with Kpre = 40 D  
ablation of 9 D on an eye with Kpre = 45 D

### Discussion

In this example, when using SRK/T formula, the ELP and IOL differ greatly (for A = 118.4)

ELPs = 5.06 vs. 6.31 mm ( $\Delta = 1.25$  mm)  
IOLp = 22.37 vs. 24.73 D ( $\Delta = 2.36$  D)

### Discussion

Single-K Rosa's method provided good IOL prediction results in 5 of 11 eyes

In 2 eyes (cases 3 and 4) with high under corrections after the previous refractive surgery (residual refractive error: -11.0 and -11.75 D), both Rosa's and Ferrara's methods gave unacceptably high IOL prediction errors (-7.83 to -8.35 D for Rosa's method, -17.56 to -18.51 D for Ferrara's method)

TABLE 1. IOL Prediction Errors (Implanted IOL Power - Predicted IOL Power) Using Different Methods (Units: Diopter)

Method	DK CHM + SRK-T		SK, Rosa + SRK-T		SK, Ferraro + SRK-T		Shammas
	SK, Rosa + SRK-T	SK, Ferraro + SRK-T	SK, Rosa + SRK-T	SK, Ferraro + SRK-T	SK, Rosa + SRK-T	SK, Ferraro + SRK-T	
e4	-0.66	-8.07	-17.56	-17.56	-1.67	-1.67	
08	-0.81	-8.35	-18.51	-18.51	-6.74	-6.74	

\*A positive value indicates that the method predicts an IOL of lower power than the power of the implanted IOL, which would leave the eye hyperopic. A negative value indicates that the method predicts an IOL of higher power than the power of the implanted IOL, which would leave the eye myopic.  
DK CHM, double-K, clinical history method; IOL, intraocular lens; SK, single-K method; SRK-T, SRK-T IOL calculation formula.

Our ELP estimation method augmented the IOL prediction accuracy of the K<sub>post</sub> estimation method like the Savini's or the BESS<sub>t</sub> formula that gave K<sub>post</sub> estimates very close to the actual K<sub>post</sub>.

Further investigations are required to evaluate whether our method can be applied to patients with various amounts of residual refractive errors after previous refractive surgery (especially residual hyperopia).

### Radial keratotomy (RK)

Posterior corneal curvature changes with RK (in contrast to LASIK, LASEK, PRK)

Original double-K method may not be applicable in ELP estimation because the relationship between ELP<sub>post</sub> and K<sub>pre</sub> may be altered

### IOL prediction errors in 4 post-RK eyes

Methods/Eye	1	2	3	4	ME	MAE
Shammas	-1.94	-3.4	-3.64	-8.2	-4.30±2.71	4.30±2.71
Haugis-L	-2.67	-2.16	1.09	-1.01	-1.19±1.67	1.73±0.82
Savini + ELP + SRK/T	-1.06	-2.42	1.08	-1.06	-0.87±1.45	1.41±0.68
BESS <sub>t</sub> + ELP + SRK/T	-0.74	-2.75	1.14	1.97	-0.10±2.10	1.65±0.89

### Summary

Methods	Characteristics
Double-K clinical history	need K <sub>pre</sub> , REF <sub>pre</sub> , REF <sub>post</sub>
Bypass method	need K <sub>pre</sub> , REF <sub>pre</sub> , REF <sub>post</sub>
Shammas	Simple, need no other instrument, ELP estimate by AL only
Haugis-L	need IOLMaster, ELP estimate by ACD, AL
Savini K <sub>post</sub> + ELP estimation + SRK/T	need Pentacam, complex calculation; ELP estimate by corneal height, AC diameter, and AL
BESS <sub>t</sub> K <sub>post</sub> + ELP estimation + SRK/T	need Pentacam, complex calculation; ELP estimate by corneal height, AC diameter, and AL

Thank You